Optical simulation of the SABRE veto system

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One of the most important aspects of direct detection dark matter experiments is a low background. One way of achieving this (implemented by both COSINE and SABRE) is by using an active veto system to identify and reject b background by nearly an order of magnitude in some cases. The efficacy of this veto system depends strongly on the optical properties of the liquid scintillator, the physical geometry, and the characteristics of the detect These must all be carefully modelled to understand the veto power of a system. In order to understand the thresholds available for veto cuts in SABRE, we require detailed optical simulations. We present here the methodology used to understand how optical photons propagate through the liquid scintilla scales with scintillator properties, energy, and position of deposition in the detector.

Simulation uses only energy deposition produced in liquid scintillator, not detected by the system. Does not account for:

- Detector geometry (e.g., PMT number and position)
- Scintillator properties (e.g., Light yield, decay time)
- Deposition location

Instead create a detection probability map that can be applied to results after simulat limits to be set based on number of detected photons.

- . Simulate radioactive decays in various detector components
- 2. Record number of optical photons that reach PMTs
- . Remove any events with #PE above signal threshold
- Probability of detection a combination of:
- Probability of a single optical photon generated at (x,y,z) reaching PMT_i: P_{Di}(x,y,z)
- Quantum efficiency of PMT_i: QE_i

Based on energy deposition in liquid scintillator

- 1. Simulate radioactive decays in various detector components
- 2. Record any deposition in crystal and liquid veto
- 3. Remove any events with deposition >100 keV in veto

Result is a total veto efficiency of 56% (84% for ⁴⁰K decay, as shown in Fig. 1)

Issues

Number of optical photons generated by energy deposition E: $Poiss(n; LY \times E)$ So the probability distribution function for detection of an event is:

Poiss(n; $LY \times E$) * Bi(n, $QE_i \times P_{Di}(x, y, z)$)

For simulated events, just need energy deposited and deposition position to find fraction that will be detected. This allows for better estimations of backgrounds that pass the requirements.

Likely a position related limit on the realistic energy threshold not accounted for here. Requires light propagation simulation that is unfeasible to run for typical statistics required.

Optical veto approach

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probability of optical photons reaching a PMT based on generation position.

 -500

 -1000

 -1500

 -400

 -200

 -100

True X (mm)

 -300

 $|0.03|$

 -0.02

 $|0.01$

ciency: events with an verage probability of

cuts further:

reconstruction and ability that a detected

 125 cm even with very

Fig. 3: Basic charge reconstruction on the position of a 1 MeV deposition within the liquid scintillator

100

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